Global gyrokinetic simulations of ASDEX Upgrade up to the transport time-scale with GENE-Tango

A. Di Siena¹, A. Banon Navarro¹, T. Luda¹, G. Merlo², M. Bergmann¹, J.
Parker³, L. LoDestro³, J. Hittinger³, T. Görler¹, L. Leppin¹, G. Hammett⁴, B. Dorland⁴, F. Jenko¹ and The ASDEX Upgrade Team¹

¹ Max Planck Institute for Plasma Physics, Garching, Germany
 ² The University of Texas at Austin, Austin, Texas, USA
 ³ Lawrence Livermore National Laboratory, Livermore, California, USA
 ⁴ Princeton Plasma Physics Laboratory, Princeton, NJ 08543, USA







Outlook

GENE-Tango: brief introduction and motivation

- Gyrokinetic simulations to confinement time challenges and (possible) solutions
- Tango numerical scheme and coupling to GENE
- Possible speed-ups with GENE-Tango and extrapolations to ITER

Numerical simulations of ASDEX Upgrade #31555 at t = 1.45s

- <u>Electrostatic</u> simulations, <u>with</u> collisions, <u>no</u> (external) toroidal rotation
- <u>Electrostatic</u> simulations, <u>no</u> collisions, <u>no</u> (external) toroidal rotation
- *Electromagnetic* simulations, <u>with</u> collisions, <u>no</u> (external) toroidal rotation
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Next steps with GENE-Tango:

- Profile prediction including fast particles and alphas
- Transport barrier analyses, profile prediction for W7-X (Alejandro B. Navarro)

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Realistic modelling of magnetic confinement experiments

- Our task: compute self-consistently plasma profiles \rightarrow performance predictions!
- Experimental situation: heat/particle sources, steady-state characterised by flux equilibrium



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Exploiting large time scale separation

- Separation between transport and turbulence time scales is $\tilde{t}/t \sim (a/\rho)^2$
- Simulations to confinement time are expensive: feasible for small machines (TCV: $a/\rho < 100$), prohibitive for large experiments (ITER: $a/\rho \sim 1000$), e.g. x-resolution scales $\sim (a/\rho)^{1-2}$







Possible way around

Coupling a core turbulence code (e.g. GENE) with a global transport code (e.g. Tango) → steady-state profiles can be obtained even for large devices

Bringing gyrokinetic simulations to transport time scale

GENE-Tango coupling

- (i) GENE evaluates turbulence levels for given pressure profile over several microscopic time steps.
- (ii) Tango evaluates new plasma profiles consistent with given turbulence levels and experimental sources.
- (iii) New profiles transferred back to GENE and the process is repeated.



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1D transport equation

• Macroscopic profiles are constant on magnetic flux surfaces

A: Area flux-
surface
$$3 = \sqrt{\frac{\partial p}{\partial t}} + \frac{\partial}{\partial x} AQ = AS$$

 $Q = \langle Q \cdot \nabla x \rangle$: Turbulent fluxes J. Parker et al. NF 2018
A. Shestakov et al. JCP 2003
S: Sources

• subscript *m*: transport time step index; *l*: iteration index within a time step

$$\frac{3}{2}A\frac{p_{m,l}-p_{m-1}}{\Delta t} = \frac{\partial}{\partial x}(AQ_{m,l}[p_{m,l}]) + AS_m$$

• Turbulent fluxes taken as **time-average quantities** over many turbulent time steps (in the saturated phase) $\Delta \tilde{t}$ and the pressure profile is evolved by the macroscopic time step Δt

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$$\frac{3}{2}A\frac{p_{m,l}-p_{m-1}}{\Delta t} = \frac{\partial}{\partial x}(AQ_{m,l}[p_{m,l}]) + AS_m$$

• Q is the sum of diffusive and convective contributions

$$Q_{m,l} = -D_{m,l-1} \frac{\partial p_{m,l}}{\partial x} + c_{m,l-1} p_{m,l}$$

• There is freedom in the splitting of the turbulent flux Q between D and c

$$D_{m,l-1} = -\frac{\theta_{l-1}Q[p_{m,l-1}]}{\frac{\partial p_{m,l-1}}{\partial x}} \qquad c_{m,l-1} = \frac{(1-\theta_{l-1})Q[p_{m,l-1}]}{p_{m,l-1}}$$

• θ denotes the nature of the turbulent fluxes, i.e. diffusive and/or convective, assuming plasma turbulence mainly diffusive $\rightarrow \theta \sim 1$

• Diffusion coefficients depending on $\partial p_{m,l-1}/\partial x$ makes the iteration numerically unstable. It is stabilised by adding the relaxation coefficient α to D and c

$$\bar{Q}_{m,l-1} = \alpha Q[\hat{p}_{m,l-1}] + (1 - \alpha)\bar{Q}_{m,l-2}$$
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• Tango solves iteration equation within an implicit timestep advance of a transport equation: nonlinear equation for the time-advanced (backward Euler step)

$$\frac{3}{2}A\frac{p_{m,l}-p_{m-1}}{\Delta t} = \frac{\partial}{\partial x}(AD_{m,l-1}\frac{\partial p_{m,l}}{\partial x} - Ac_{m,l-1}p_{m,l}) + AS$$

• Each coefficient is evaluated at the previous iterate l-1 and the transport equation is linear in the unknown $p_{m,l}$

$$M_{m,l-1}p_{m,l} = g_{\text{Sources + terms } p_{m-1}}$$

• When the iteration in l converges, the representation for the flux (right-hand side) is equal to the actual turbulent flux Q (left-hand side)

$$Q_{m,l} = \int dV(P_{ICRH} + P_{NBI} + \dots)$$

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Gene-Tango applications with kinetic electrons

Development and current status

- GENE-Tango coupling originally developed for adiabatic electrons and recently extended to kinetic electrons and coupled to CHEASE.
- Kinetic electron extension validated agains TGLF/ASTRA and experiments for three different H-mode ASDEX Upgrade discharges.

ASDEX Upgrade #31555 @ t = 1.45s

• Heating and particle sources extracted from ASTRA



- GENE buffer regions do not allow turbulent fluxes to match power balance \rightarrow Tango will progressively increase profile gradients on axis.
- Sources modified close to the GENE left boundary to ensure zero flux condition between $\rho_{tor} = [0 0.1]$ in Tango

• After 20 iterations (here shown [15 - 20]) turbulent fluxes match the power balance in all channels





- Qualitative agreement between GENE-Tango and TGLF-ASTRA
- Both GENE-Tango and TGLF-ASTRA under-predicts the T_i peaking for $\rho_{tor} < 0.3$
- Good matching with experimental data for T_e
- Boundary condition for n_e has large uncertainties

• After 30 iterations (here shown [25 - 30]) turbulent fluxes match the power balance in all channels



• Temperature and density profiles from GENE-Tango at iterations [25 - 30]



• TGLF-ASTRA profiles lead to inward particle flux when collisions are neglected → strong density peaking and corresponding flattening of temperature profiles.

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• After 28 iterations (here shown [23 - 28]) turbulent fluxes match the power balance in all channels



• Temperature and density profiles from GENE-Tango at iterations [23 - 28]



• When electromagnetic effects are included, T_i peaking observed but still far from experiment $\rightarrow T_i$ flattens for $\rho_{tor} = [0.4 - 0.7]$ (similarly T_e)

• Density profile flattens compared to the electrostatic case (consistent with T. Hein et al PoP 2010) → electromagnetic effects produce an outward flux of passing electrons in ITG turbulence.

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• After 29 iterations (here shown [24 - 29]) turbulent fluxes match the power balance in all channels





- When electromagnetic effects and toroidal rotation included, T_i peaking observed and <u>not captured with reduced models</u> $\rightarrow T_i$ under-estimated on-axis since <u>fast ions</u> <u>are still neglected</u>.
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Speed up compared to confinement time

ASDEX Upgrade #31555 : <u>ES</u>, with collisions, no toroidal rotation

- GENE run time (20 itrs) ~ 8.1 ms
- Confinement time ~ 44.2 ms

ASDEX Upgrade #31555 : <u>ES</u>, no collisions, no toroidal rotation

- GENE run time (30 itrs) ~ 12.7 ms
- Confinement time ~ 52.2ms

ASDEX Upgrade #31555 : <u>EM</u>, with collisions, no toroidal rotation

- GENE run time (28 itrs) ~ 11.7 ms
- Confinement time ~ 48.2 ms

ASDEX Upgrade #31555 : <u>EM</u>, with collisions, with toroidal rotation

- GENE run time (29 itrs) ~ 11.7 ms
- Confinement time ~ 50.1 ms

 \rightarrow 5.4 speed-up

 \rightarrow 4.1 speed-up

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- Transport barrier analyses, profile prediction for W7-X (Alejandro B. Navarro)

GENE-Tango simulations with supra-thermal particles:

• Reduced turbulent models do not reproduce profiles in strong EM regimes and large fast particle concentration (see e.g., P. Mantica PPCF 2020).



• Possible first test case for GENE-Tango with fast ions could be ASDEX Upgrade discharge #32305 (A. Bock NF 2017).

Next steps:

- Model fast ion effects on plasma confinement up to transport time scale extend/develop GENE-Tango.
- Address feedback loop between (i) energetic ion effects on microturbulence, (ii) their impact on the bulk profiles and, in turn, (iii) the repercussion on supra-thermal particle deposition profiles.
- Understand/predict fast ion effects on transport/plasma profiles e.g., turbulence suppression, formation of internal transport barriers.
- Model alpha-particles and capture their effect on plasma performances

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Thank you for your attention!