



Simulation of negative triangularity plasmas with the GENE-X code

MANET project report, IFERC-CSC Workshop

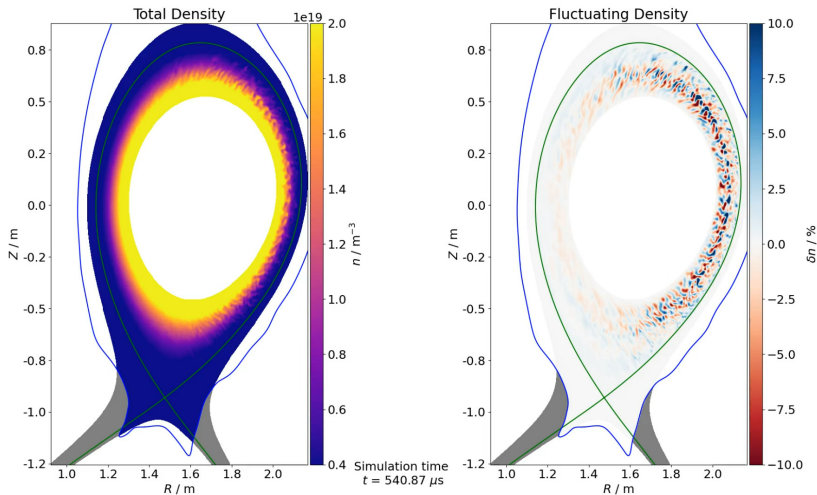
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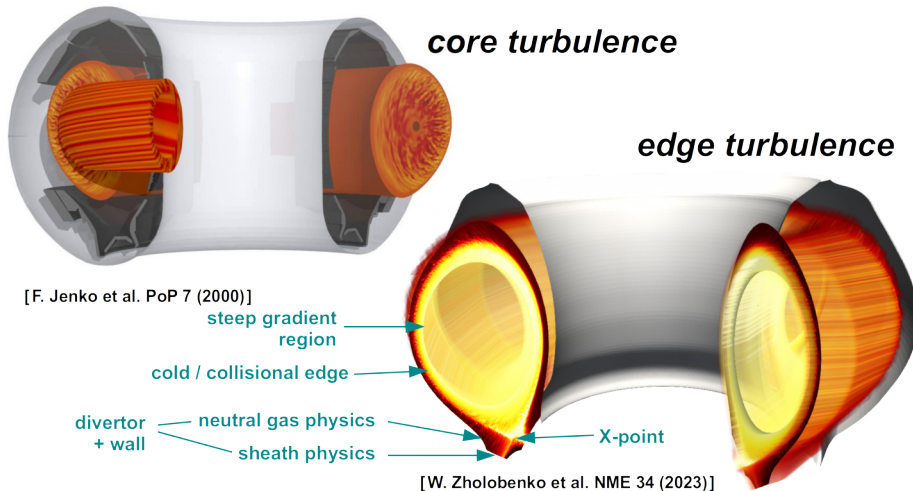


This work was carried out using the JFRS-1 supercomputer system at Computational Simulation Centre of International Fusion Energy Research Centre (IFERC-CSC) in Rokkasho Fusion Institute of QST (Aomori, Japan).

GENE-X simulates global gyrokinetic turbulence in the edge and scrape-off-layer (SOL) of X-point geometries

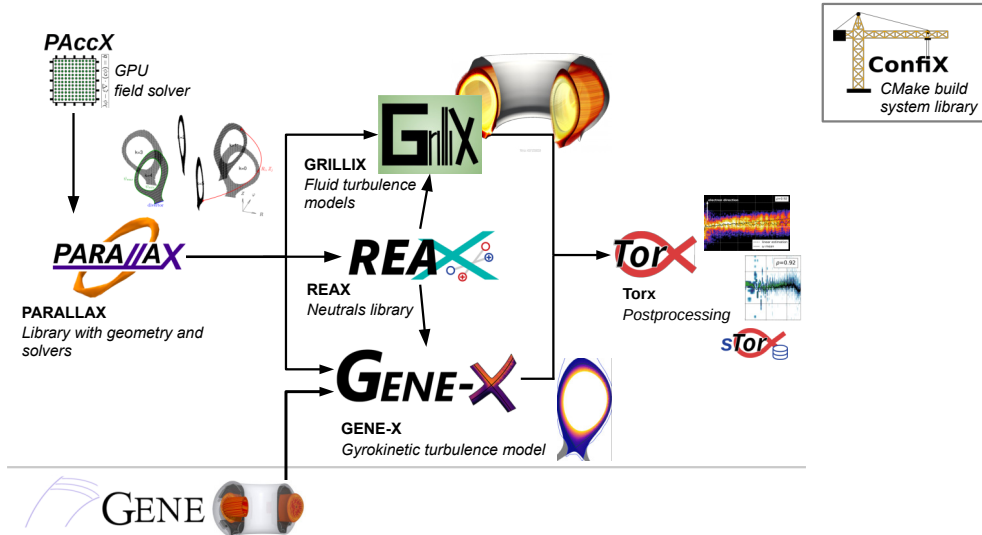


Simulating edge and SOL turbulence is a challenging task

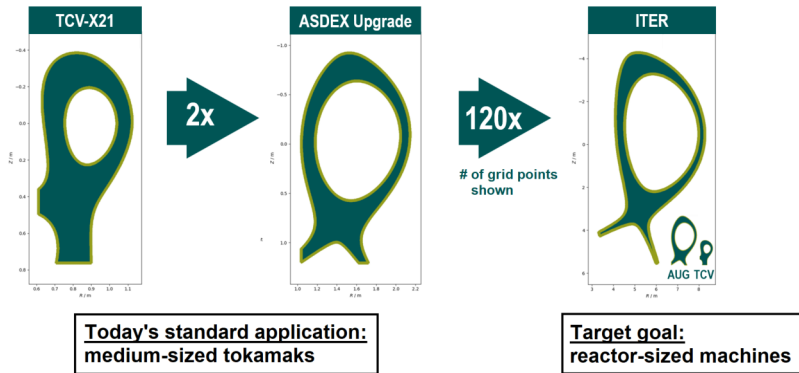




Our group developed a unique edge turbulence code framework



Our goal is towards first-principles predictive simulations in reactor-sized machines



Simulation challenges:

- Performance
- Physics accuracy
→ validation study required

EUROFusion roadmap:

- Good confinement avoiding ELMs
→ example: negative triangularity (NT)
- Heat exhaust

In this talk we present results obtained with JFRS-1 supercomputer

Part I

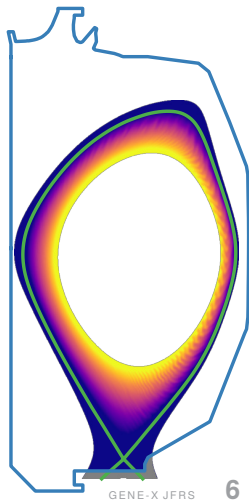
- Overview of the GENE-X code

Part II

- Validation of GENE-X in negative triangularity DIII-D

Part III

- Overview of other studies (analysis ongoing)

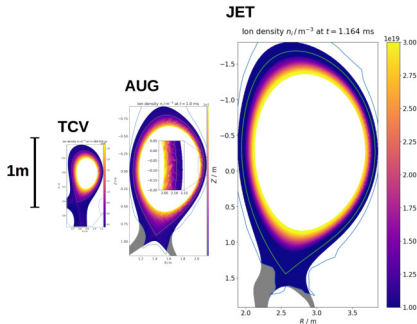


GENE-X code overview

GENE-X enables gyrokinetic turbulence simulations in X-point geometries

Features:

- grid-based (Eulerian)
- global
- non-linear
- full-f
- electromagnetic (EM)
- collisional



GENE-X can simulate from the core to the wall.

Efficiently designed for massively parallelized CPU-based supercomputers. Strong scaling with $>90\%$ efficiency up to 2048 nodes ($\approx 100k$ cores).

GENE-X solves a full-f, collisional, EM gyrokinetic model

evolution

\mathbf{B}^* advection

perpendicular drifts

$$\begin{aligned}
 & \boxed{\frac{\partial f_\alpha}{\partial t}} + \boxed{v_{||} \frac{\mathbf{B}^*}{B_{||}^*} \cdot \nabla f_\alpha} + \boxed{\frac{c}{q_\alpha B_{||}^*} \mathbf{b} \times (\mu \nabla B + q_\alpha \nabla \phi_1 + \nabla H_2) \cdot \nabla f_\alpha} \\
 & \boxed{- \frac{\mathbf{B}^*}{m_\alpha B_{||}^*} \cdot (\mu \nabla B + q_\alpha \nabla \phi_1 + \nabla H_2) \frac{\partial f_\alpha}{\partial v_{||}}} \boxed{- \frac{q_\alpha}{m_\alpha c} \frac{\partial A_{1,||}}{\partial t} \frac{\partial f_\alpha}{\partial v_{||}}} = \boxed{\sum_\beta C_{\alpha\beta}(f_\alpha, f_\beta)} \\
 & \text{vspace-advection} \qquad \qquad \qquad \text{magnetic induction} \qquad \qquad \text{collisions}
 \end{aligned}$$

with

$$-\nabla \cdot \left(\sum_\alpha \frac{m_\alpha c^2 n_\alpha}{B^2} \nabla_\perp \phi_1 \right) = \sum_\alpha q_\alpha \int f_\alpha dW, \quad -\Delta_\perp A_{1,||} = 4\pi \sum_\alpha \frac{q_\alpha}{c} \int v_{||} f_\alpha dW.$$

$$\mathbf{B}^* = \mathbf{B} + \frac{m_\alpha c}{q_\alpha} v_{||} \nabla \times \mathbf{b} + \nabla A_{1,||} \times \mathbf{b}, \quad H_2 = -\frac{m_\alpha c^2}{2B^2} |\nabla_\perp \phi_1|^2, \quad dW = 2\pi B_{||}^* / m_\alpha dv_{||} d\mu.$$

Based on [D. Michels, P. Ulbl, W. Zholobenko et al., PoP 29 (2022) 032307].

Bhatnagar-Gross-Krook (BGK)

$$C_{\alpha\beta} = \nu_{\alpha\beta} \left(\frac{B}{B_{||}^*} \mathcal{M}_{\alpha\beta} - f_{\alpha} \right).$$

Lenard-Bernstein/Dougherty (LBD)

$$C_{\alpha\beta} = \frac{\nu_{\alpha\beta}}{B_{||}^*} \left\{ \frac{\partial}{\partial v_{||}} \left[(v_{||} - u_{||,\alpha\beta}) B_{||}^* f_{\alpha} + \frac{1}{2} v_{\text{th},\alpha\beta}^2 \frac{\partial B_{||}^* f_{\alpha}}{\partial v_{||}} \right] + \frac{\partial}{\partial \mu} \left[2\mu B_{||}^* f_{\alpha} + \frac{m_{\alpha} v_{\text{th},\alpha\beta}^2}{B} \mu \frac{\partial B_{||}^* f_{\alpha}}{\partial \mu} \right] \right\}.$$

- Conservative finite volume discretization (2nd order)

Fokker-Planck/Landau (FPL)

$$C_{\alpha\beta} = -\frac{1}{B_{||}^*} \frac{\partial}{\partial \mathbf{v}} \cdot \left[B_{||}^* \left(\mathbf{E}_{\alpha\beta} f_{\alpha} + \mathbf{D}_{\alpha\beta} \cdot \frac{\partial}{\partial \mathbf{v}} f_{\alpha} \right) \right],$$

$$\mathbf{E}_{\alpha\beta} = \frac{\Gamma_{\alpha\beta}}{m_{\beta}} \int d\mathbf{v}' \mathbf{U}_{\alpha\beta}^{\text{E}} \cdot \frac{\partial}{\partial \mathbf{v}'} f'_{\beta},$$

$$\mathbf{D}_{\alpha\beta} = -\frac{\Gamma_{\alpha\beta}}{m_{\alpha}} \int d\mathbf{v}' \mathbf{U}_{\alpha\beta}^{\text{D}} f'_{\beta},$$

$$\mathbf{U}_{\alpha\beta}^{\text{E}} = \begin{pmatrix} U_{\perp,\perp} & U_{\perp,||} \\ U_{||,\perp} & U_{||,||} \end{pmatrix}, \quad \mathbf{U}_{\alpha\beta}^{\text{D}} = \begin{pmatrix} U_{\perp,\perp} & U_{\perp,||} \\ U_{\perp,||} & U_{||,||} \end{pmatrix}.$$

- Components of \mathbf{U} are given by linear combinations of elliptic integrals $E(m)$, $K(m)$
- 2nd order FV discretization

See [R. Hager et. al, JCP315 (2016)]

Boundary conditions provide heat and particle fluxes in our simulations

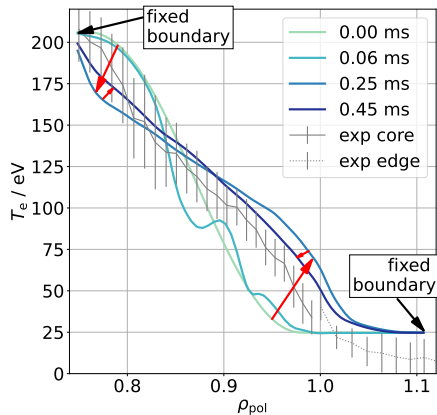
"First-principles" modelling: we start from an arbitrary initial state, not imposing the experimental profiles as a whole.

GENE-X BCs

Dirichlet with

- **Distribution function:** Maxwellian with experimental profile values for n and T (no flow)
- **Potentials:** zero

New: flux driven mode available



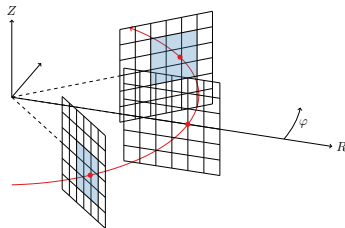
The Flux-Coordinate Independent Approach (FCI) allows for simulations in X-point geometries

Plasma turbulence is field aligned, **but** conventional field aligned coordinates break down at the X-point.

Solution: FCI approach

- Collection of Cartesian poloidal planes.
- Connected with magnetic field lines.

→ **locally field aligned coordinates.**



Discretization:

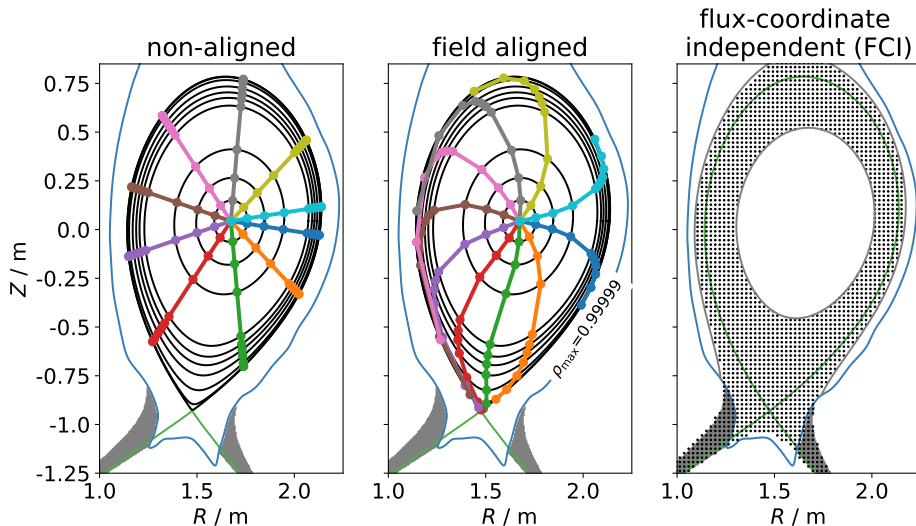
- 4th order sym. FD for $x, z, v_{||}$ derivatives
- 2nd order Arakawa for non-linear terms
- 2nd order elliptic solvers (GMRES + multigrid))



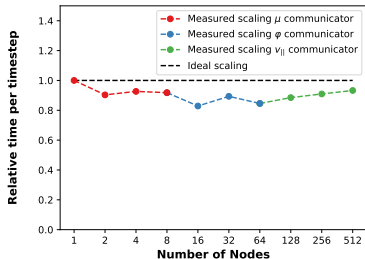
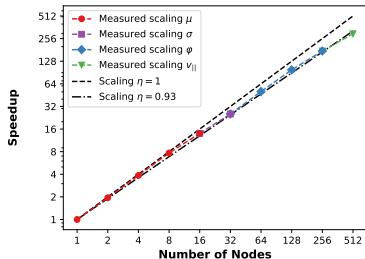
- Field line tracing
- Bicubic interpolation
- 4th order sym. FD for y



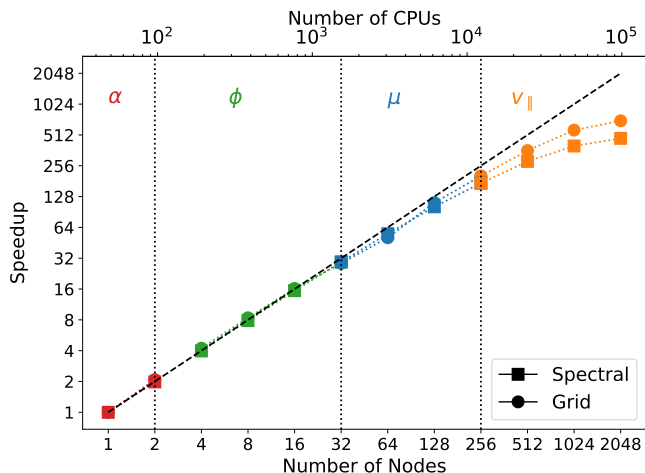
[D. Michels, A. Stegmeir, P. Ulbl et al., CPC 264 (2021) 107986]



- Hybrid MPI+OMP. MPI in $\varphi, v_{||}, \mu, \alpha$. OMP in RZ
- Typical problem size approx. $(RZ, \varphi, v_{||}, \mu, \alpha) = (200000, 32, 80, 20, 2)$
- Example: production runs on Raven supercomputer (MPCDF)
320 nodes - 72 cores. 640 MPI procs, 36 cores for OMP.
MPI decomposition e.g. $(RZ, \varphi, v_{||}, \mu, \alpha) = (1, 16, 2, 10, 2)$.
- Good strong (left) + weak (right) scaling on MPCDF Cobra



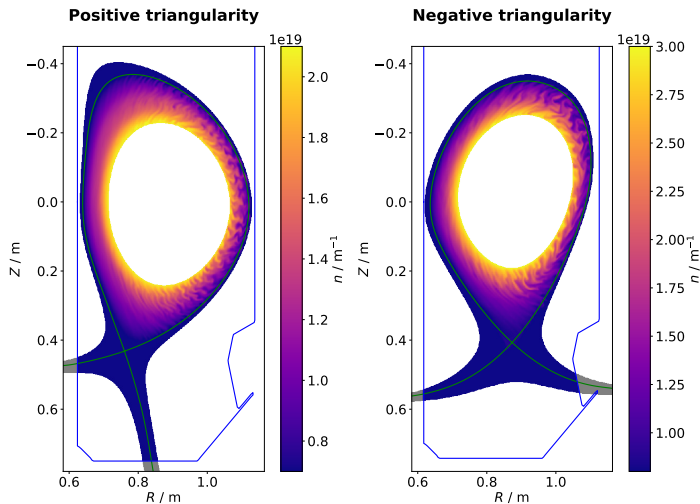
New strong scaling results on SuperMUC show excellent parallel efficiency on up to 100k cores



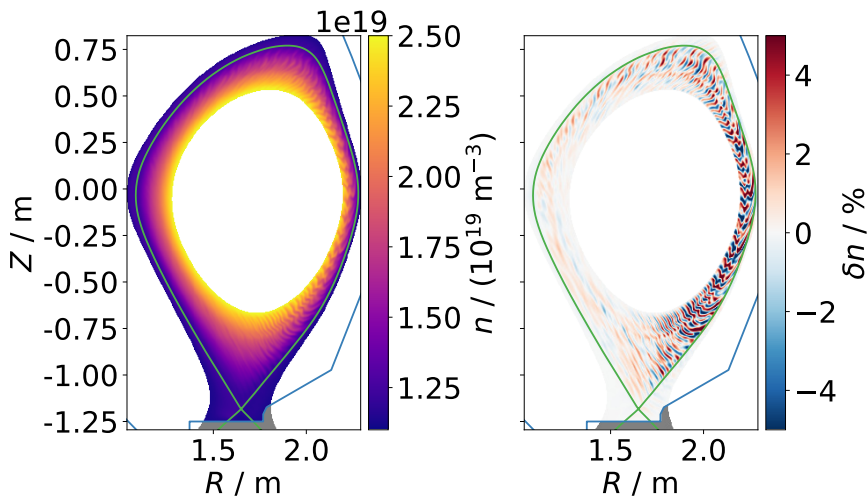
- Tested up to 2048 nodes with 48 cores each, around 98000 cores (4096 MPI procs, 1 per socket)
- As number of procs increases, communication starts to become a bottleneck
- Simulations are performed on >1k nodes on this machine
- Thanks to B. Frei for performing this analysis

Simulations performed on JFRS (analysis ongoing)

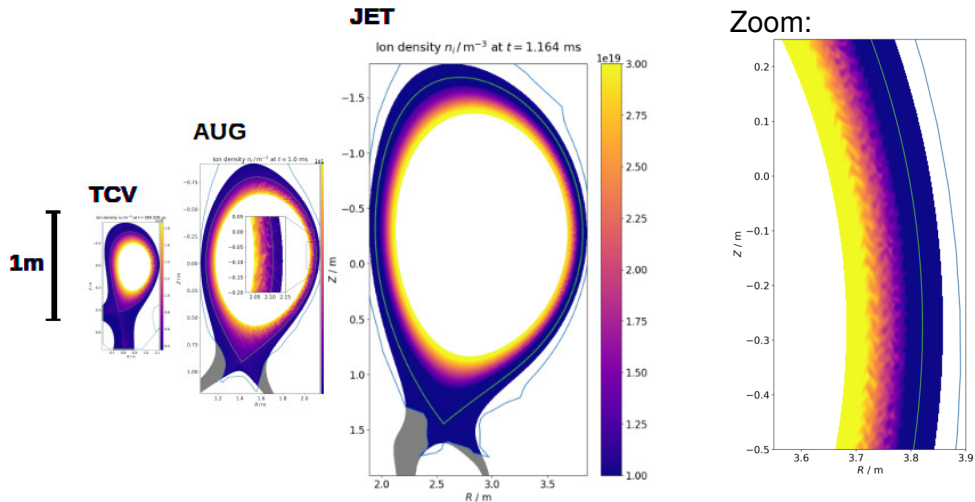
DTT-like shapes in NT/PT TCV were simulated to study geometry effects on turbulence



GENE-X was validated against diverted negative triangularity DIII-D scenario



First global gyrokinetic edge and SOL turbulence simulation in JET has been performed



- **GENE-X is able to perform first-principles turbulence simulations in X-point geometry (and stellarators now)**
- Hybrid MPI-OpenMP parallelization with >90% efficiency up to 100k nodes
- **First global grid-based GK turbulence simulations in DIII-D NT including the X-point** show **excellent agreement of profiles**. **Analysis ongoing.**
- Simulated pair of NT/PT discharges in TCV DTT-like shapes. **Analysis ongoing.**
- **First global gyrokinetic simulations of edge and SOL turbulence in JET.** $T_i = T_e$ approximation is supported. **Analysis ongoing.**
- **Performance and physics-wise, simulations of JT60-SA are now possible**

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